A Theory for Comparing the Expressive Power of Access Control Models

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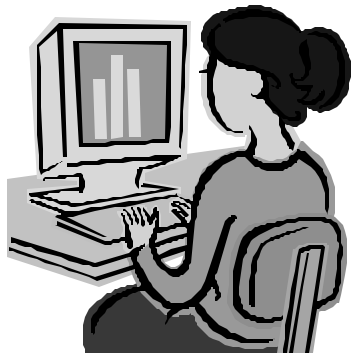Purdue University

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   - SDCO and ARBAC97 schemes
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   - Proof strategy, results
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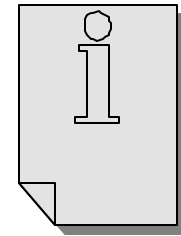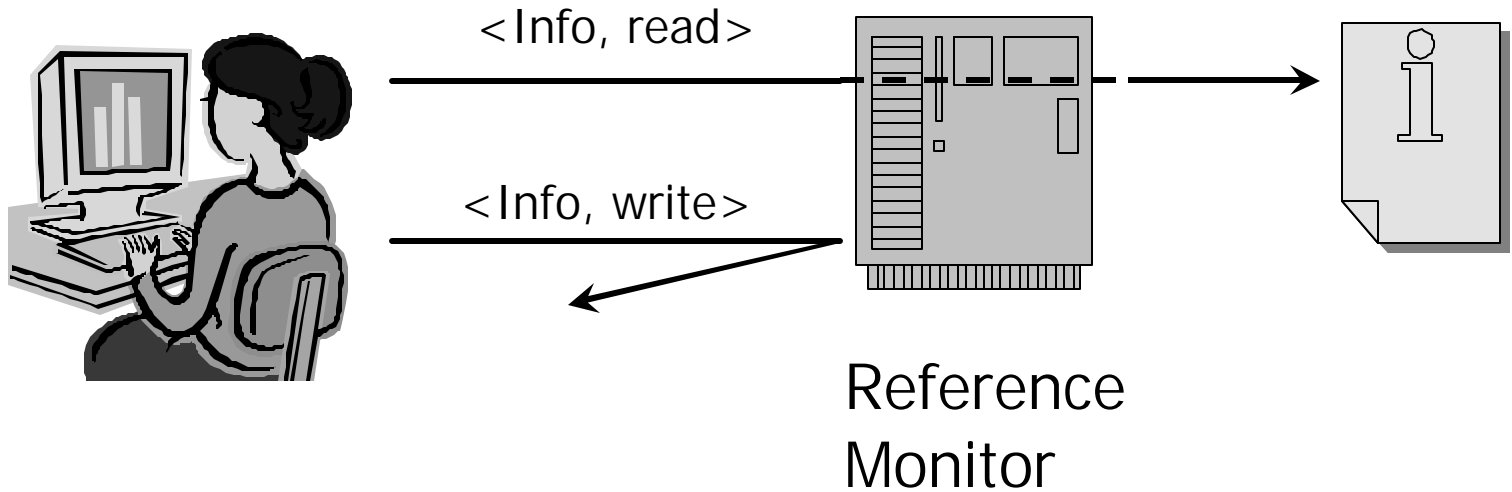5. Conclusion

Access Control

Alice
(Principal)

read

Info
(Object)
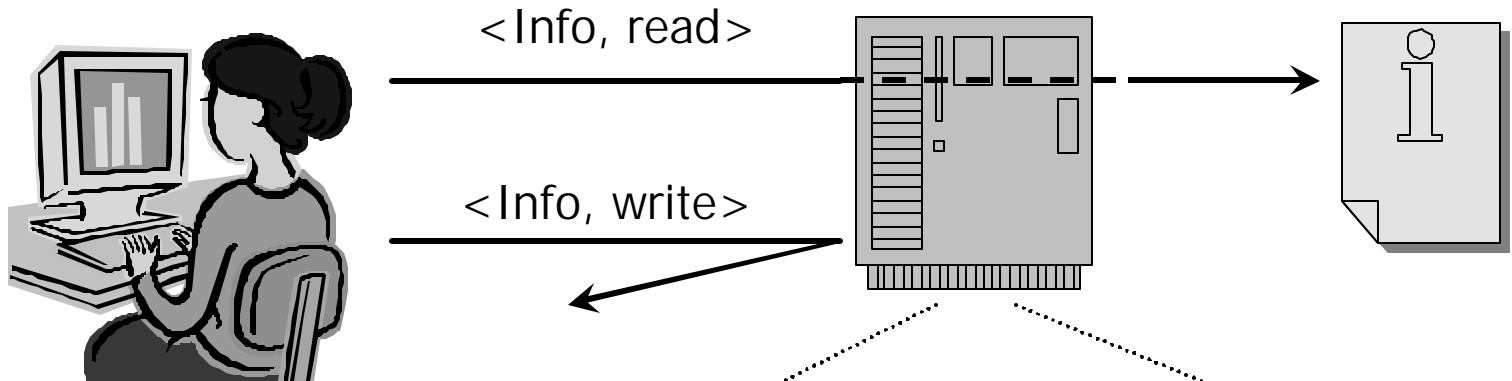
Access Control (contd.)

<Info, read>

<Info, write>

Reference
Monitor

Access Control (contd.)

	Alice	Info	More Info	
Alice		read	own	
Bob	control	own, write		

Protection State

- In our example, s is characterized by:

  $\langle P_s, O_s, R_s, M_s[\ ]\rangle$
  - Specifies *access control model*
- Can query the state:
  - $q_1 = $ "$\sigma \in P$"
  - $q_2 = $ "$\omega \in O$"
  - $q_3 = $ "$r \in M[\sigma,\omega]$"
- Entailment – whether query is true:
  - s ? q_3 iff $\sigma \in P_s$? $\omega \in O_s$? $r \in M_s[\sigma,\omega]$

State can change

	Alice	Info	
Alice		read	
Bob	control	own, write	

	Alice	Info	
Alice		own, read	
Bob	control	write	

State Change Rules

createObject(i,o)

  create object o

  enter own into M[i,o]

destroyObject(i,o)

  if own $\in$ M[i,o]

    destroy object o

transferOwn(i,p,o)

  if own $\in$ M[i,o]

    enter own into M[p,o]

    remove own from M[i,o]

grant_r(i,p,o)

  if own $\in$ M[i,o]

    enter r into M[p,o]

Systems and Schemes

- Access control system: $<s, c, Q, ?>$
- Access control scheme: $<S, C, Q, ?>$
    - $s \in S$
    - $c \in C$

- The above scheme is Strict DAC with Change of Ownership (SDCO)
    - sub-scheme of the Graham-Denning scheme

Another Scheme – ARBAC97

- $s = <UA, PA, RH, AR>$

- c :   assignUser   revokeUser
  assignPermission   revokePermission
  addToRoleRange   removeFromRoleRange
  assignAsSenior   removeAsSenior

- Q : (1) $<u,r> \in UA$;
  (2) $\exists\, u$ s.t. $<u,r> \in UA$;
  (3) $\exists\, r$ s.t. $<u,r> \in UA$;
  (4-6) for permissions;
  (7) $<r_1, r_2> \in RH$;
  (8) $\exists\, r_1, r_2$ s.t. $<r_1,r_2> \in RH$? $<u,r_1> \in UA$? $<p,r_2> \in PA$

Other Examples of Schemes

- The HRU scheme (based on the access matrix model).

- Various DAC schemes (based on the access matrix model).

- MAC schemes.

- Other RBAC schemes.

- The RT[?, n] trust management scheme.

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Comparison

- How does SDCO compare to ARBAC97?
- Why is this an important question?
    - can scheme B "represent" every security policy that scheme A can?
- On what basis do we compare?
    - Or, how do we formalize "represent policies"?
- Note: straightforward extension from schemes to models

Examples of Policy Questions

- Can (presumably untrusted) Alice get read access to file, f ?
- Does (administrator) Bob always have access to a configuration file?
- Does someone always have access to the building ?
- Is every object owned by exactly one principal?
- Can anyone other than Dorothy get access to the resource r ?

Our Theory: Introduction

- Does there exist a mapping from scheme A to B with relevant properties?
  - Or, can B "simulate" A?
  - Mapping should be security preserving.
  - Efficiency is not necessarily relevant.
    - But if the mapping is efficient, there is a useful implication.

Security-Preserving Mapping

- For B to be at least as expressive as A:
  - Identify security properties in A and B (e.g., safety, availability, mutual exclusion, liveness).

  - Does there exist a mapping, m from A to B, and p_A to p_B such that: $a \in A$ has p_A iff $m(a)$ = $b \in B$ has p_B.

Questions...

- How do we represent properties of interest?

  - Answer: queries

- How do we determine whether a system satisfies a property?

  - Answer: security analysis

Security Analysis

- Access Control Scheme: $<S, C, Q, ?>$
- Given a system $a = <s_0, c, Q, ?>$, we ask:
    - $\exists$ reachable s_1, such that $s_1 ? q$?
    - $\forall$ reachable s_1, does $s_1 ? q$?
- Can check several interesting properties.

- Other kinds of questions are possible and meaningful for security – future work.
    - Example: Chinese-Wall policies

Back to Security-Preserving Mapping

- m: $(S_A \times C_A)$? Q_A ? $(S_B \times C_B)$? Q_B
- m is security preserving, if it maintains results of security analyses.

- If m is efficient, we can use analysis in B for analysis in A.

- Comparison to NP-hardness reductions.

Strongly Security Preserving Mapping

- m is strongly-security preserving, if it maintains results of compositional security analyses.

  - Compositional security analysis: allows a propositional logic formula of queries.
  - Strongly security preserving implies security preserving.

Return to our Example: SDCO

- Suppose s satisfies: $\forall \omega \in O_s$, $\exists$ exactly one $\sigma \in P_s$ such that own $\in M_s[\sigma, \omega]$

createObject(i,o)
  create object o
  enter own into M[i,o]

destroyObject(i,o)
  if own $\in$ M[i,o]
    destroy object o

transferOwn(i,p,o)
  if own $\in$ M[i,o]
    enter own into M[p,o]
    remove own from M[i,o]

grant_r(i,p,o)
  if own $\in$ M[i,o]
    enter r into M[p,o]

SDCO (contd.)

- c maintains invariant.
- Let $\omega \in O_s$ with owner σ_1.
  - Can reach a state in which σ_2 is the owner.
  - Cannot reach state, s', in which more than one owner, or no owner (when $\omega \in O_{s'}$)
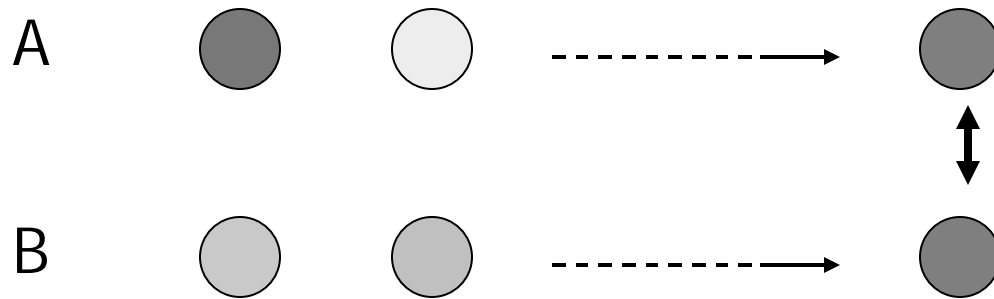- Can represent each of the above as formula of queries from Q.

Results for SDCO and ARBAC97

- There exists a security preserving mapping from SDCO to ARBAC97.

- There exists no strongly-security preserving mapping from SDCO to ARBAC97.

  - Any ARBAC97 system must enter "extra" or "bad" state that violates invariant in trying to maintain it.

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More Usable Definitions

A

B

- Are there corresponding reachable states under m?
  - Reduction: for each query.
  - State-matching reduction: for all queries.

More Usable Definitions (contd.)

- Necessary and sufficient conditions for
  - security-preserving mapping: reduction
  - strongly security-preserving mapping: state-matching reduction

- Reduction: $A =_R B$
- State-Matching Reduction: $A =_S B$

Proof Strategy

- **If there exists (state-matching) reduction:**
  - By construction of m
  - Show properties are satisfied
- **If there exists no (state-matching) reduction:**
  - By contradiction
  - Find system in A and reachable state, s_a such that for any corresponding system in B, in reaching $m(s_a)$, we have to traverse a "bad" state.

Results

- SDCO $=_R$ ARBAC97 scheme.
- SDCO $?_S$ ARBAC97 scheme.
- URA97 scheme $=_S$ RT[?, n] scheme.
- ATAM $?_S$ TAM.
- Graham-Denning scheme $?_S$ HRU scheme.

- RT[ ] scheme $?_S$ HRU scheme.

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HRU Scheme

- S = access matrix instances
- C = all command-sets, with each command:

  command $c(p_1, p_2, ..., p_n)$
  if $r_1 \in M[p_i, p_j]$? ... ? $r_n \in M[p_k, p_l]$
  primitive op 1
  primitive op 2

  ...

  - Primitive op: create subject/object, destroy subject/object, enter/remove right.

- Q: (1) $r \in M[\sigma, \omega]$; (2) $r \notin M[\sigma, \omega]$

HRU Scheme (contd.)

- Safety problem: can a right appear where it does not exist in start-state?

    - Result: undecidable in general

- Import of result:

    - "Safety is undecidable in DAC"

    - "Shows limits of formal methods in security"

    - "HRU scheme is too expressive"

RT[ ] Scheme

- S = collection of assertions of two kinds:
  - A.r ? B (simple member)
  - A.r ? B.r_1 (simple inclusion)
- c = (G, H)
  - G: set of growth-restricted roles
  - H: set of shrink-restricted roles
- Q: (1) { B } ? A.r;
  (2) A.r ? { B };
  (3) A.r ? B.r_1

Result and Intuition

- RT[ ] scheme $?_S$ HRU scheme

- RT[ ] system:
    - Start with A.r being empty, and not growth-restricted.
    - Adding a single statement A.r ? B causes an unbounded number of queries of the form { B′ } ? A.r to become false.
- Any HRU system has to traverse "bad" state.
    - Only bounded number of queries can change from true to false (or vice versa) in single state-change.

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Related Work

- Based on preservation of safety:
  - Sandhu (JCS, '92)
  - Ammann, Lipton, Sandhu (JCS, '96)
  - Sandhu, Ganta (CSFW, '93)

- Not based on preservation of safety:
  - Bertino, Catania, Ferrari, Perlasca (TISSEC, '03)
  - Chander, Dean, Mitchell (CSFW, '01)
  - Osborn, Sandhu, Munawer (TISSEC, '00)

Summary

- A theory for comparing access control models based on expressive power.

- Validated with applications
  - ATAM, TAM relationship was an open problem
  - SDCO, ARBAC97 result contradicts existing assertion from literature
  - Results on HRU are first formal evidence of its limited expressive power