

Information Security

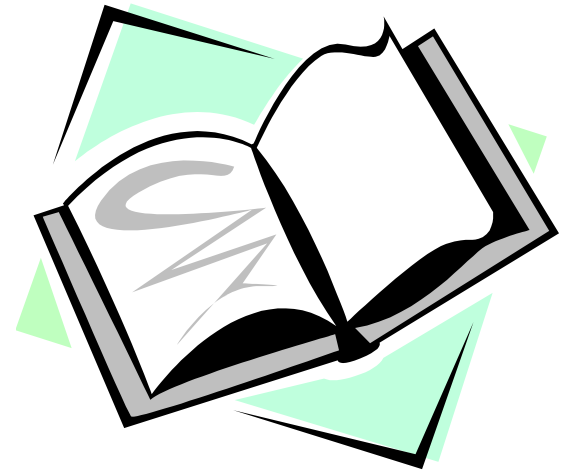
CS 526



Topic 18: Non-interference and Non-deducibility

Optional Readings for This Lecture

- Security Policies and Security Models. J.A.Goguen and J.Meseguer. Oakland'1982
- Non-deducibility is from the paper “A Model of Information” by David Sutherland
 - Not available online



Motivations

- Multi-level security is about information flow
 - Information in high level objects should not flow into low-level subjects
- The BLP model describes access control mechanisms that prevents illegal information flow, but not the meaning of no illegal information flow
 - BLP describes “how”, not “what” for information flow protection
 - E.g., define secure encryption by giving a particular encryption algorithm and say this is secure encryption
 - As a result, BLP does not prevent information flow through covert channels
 - Also, it doesn’t say whether other mechanisms can be used do information flow protection

Non-interference in Programs

- Consider the following functions, is there information flow between x and output of the functions?

```
add(int x, int y) {  
    return x+y;  
}
```

```
check_pw(char *s) {  
    char *x;  
    return strcmp(x,s);  
}
```

```
f(int x, int y) {  
    if x>0 return y+y;  
    else return 2*y;  
}
```

```
g(int x, int y){  
    return x*y/x;  
}
```

Deterministic Non-Interference in Programs

- A set X of inputs is non-interfering with a set Y of outputs if and only if
 - No matter what values X take, the outputs Y remain the same
 - When one changes only values of inputs in X , the output remain unchanged
 - Observing only Y , one learns nothing about any input in X .
 - More formally, let $Y=f(X,Z)$, where f is a deterministic function, and X,Z represents two sets of inputs, **X is non-interfering with Y** iff
$$\forall Z_0 \exists Y_0 \forall X_0 f(X_0, Z_0) = Y_0$$
or equivalently, $\forall Z_0 \forall X_0 \forall X_1 f(X_0, Z_0) = f(X_1, Z_0)$
 - **X interferes with Y** iff. $\exists Z_0 \exists X_0 \exists X_1 f(X_0, Z_0) \neq f(X_1, Z_0)$
- For randomized programs, non-interference is harder to define, and we do not cover it in this course

More on Non-interference Properties

- Two classes of techniques to ensure that security properties are satisfied by programs
 - Monitor execution of a program and deny illegal actions or terminate the program if illegal action is detected.
 - Can enforce BLP property.
 - Cannot enforce non-interference.
 - Why? Because non-interference is not defined on one execution of a program; it is a property on a program's behaviors on different inputs.
 - Statically verifying that certain non-interference relation holds by analyzing the program
 - Can be used only with access to source code

Language-Based Security

- Using programming language technique to ensure certain security properties hold
 - A large body of work focuses on using type theory and compiling-time checks to ensure information-flow properties
- Challenges to apply in real world:
 - Non-interference is often too strong
 - Suppose that one want to ensure that a secret password is not leaked, can one require non-interference between the password input and observable output?
 - Needs declassification mechanism that specify certain information dependent on sensitive inputs can be leaked.
 - Specifying such policies is impractical
 - Too much work for programmers, especially for large programs
 - Many policies need to be determined by end users, not programmers
 - Need source code, unable to deal with the real security challenge of external code.

The Non-Interference Model in the Original Goguen-Meseguer paper

- A state-transition model, where state changes occur by subjects executing commands
 - S: set of states
 - U: set of subjects
 - SC: set of state commands
 - Out: set of all possible outputs
 - do: $S \times U \times SC \rightarrow S$
 - $do(s,u,c)=s'$ means that at state s , when u performs command c , the resulting state is s'
 - out: $S \times U \rightarrow Out$
 - $out(s,u)$ gives the output that u sees at state s
 - $s_0 \in S$ initial state

Model focuses on interfaces (inputs/outputs) of a system, rather than internal aspects (e.g., objects)

Security Policies in the Non-interference Model

- A security policy is a set of noninterference assertions
- Definition of noninterference: Given two group of users G and G' , we say G does not interfere with G' if for any sequence of commands w ,
 - $\text{View}_{G'}(w) = \text{View}_{G'}(P_G(w))$
 - $P_G(w)$ is w with commands initiated by users in G removed.
 - No matter what users in G do, users in G' will observe the same.
- Implicit assumptions:
 - Initial state of the system does not contain any sensitive information
 - Information comes into the system by commands
 - Only way to get information is through outputs

Comparisons of the BLP work & the Noninterference work

- Differences in model
 - BLP models internals of a system (e.g., objects)
 - GM models the interface (input & output)
- Differences in formulating security policies
 - BLP specifies access control requirement, noninterference specifies information flow goal
- Noninterference could address covert channels concerns
 - Provided that one defines observable behavior to include those in covert channels; doesn't make stopping covert channel easier
- Under noninterference, a low user is allowed to copy one high-level file to another high-level file
 - In general not allowed by BLP

Evaluation of The Non-Interference Policy

- The notion of noninterference is elegant and natural
 - Focuses on policy objective, rather than mechanism, such as BLP
 - Could be useful in other settings
- Mostly concerned with deterministic systems
 - For randomized or otherwise non-deterministic systems, definition is more complicated
- May be too restrictive
 - e.g., consider encrypt and then communicate

Non-deducibility

- Attempt to define information flow in non-deterministic as well as deterministic systems
- Intuition: there is no information flow between X and Y , iff., when observing only Y , one can never eliminate any value from the domain in X as a possible value
- Definition: let $Y=f(X,Z)$, where f is not necessarily deterministic, there is information flow between X and Y in the non-deducibility sense iff.
 - $\exists Y_0 \in \{ f(X,Z) \} \exists X_0$ s.t. $Y_0 \notin \{ f(X_0, Z) \}$
 - When one observes the value of Y is Y_0 , one learns that $X \neq X_0$.
 - There **is no information flow** between X and Y in the non-deducibility sense when $\forall Y_0 \in \{ f(X,Z) \} \forall X_0 \exists Z_0$ s.t. $Y_0 \in \{ f(X_0, Z_0) \}$
- Go to the examples for non-interference

An Example Illustrating that Non-deducibility is Too Weak

- A high user and a low user
 - the high user can write to a file
 - one letter at a time
 - the low user can try to read the n 'th character in a file
 - if file is shorter than n , or if the the n 'th character is blank, returns a random letter
 - otherwise, with 99.9% probability return the letter, and with 0.1% probalility return a random letter
- The system is nondeducible secure
- The system is intuitively insecure
- Non-deducibility can often be too weak. It deals with possibilistic inference, not probabilistic inference

Examples:

High int x = ...;

High int y = ...;

Low int z;

if x>0 z = y+y;

else z = 3*y;

- x interferes with z
- y interferes with z
- x and z are not non-deducible secure
- y and z are not non-deducible secure

High int x = ...;

High int y = ...;

Low int z;

if x>0 z= y+y;

else z=2*y;

- x does not interfere with z
- y interferes with z
- x and z are non-deducible secure
- y and z are not non-deducible secure

Examples

```
High int x = ...;  
High int y = ...;  
Low int z1 = x + y;  
Low int z2 = x - y;
```

- x interferes with z1
- x interferes with z2
- x and z1 are non-deducible secure
- x and {z1,z2} are not non-deducible secure

```
High char * x = ...;  
Low char * entered_pw = ...;  
Low boolean z;  
z = strcmp(entered_pw,x);
```

- x interferes with z
- x and {z, entered_pw} are not non-deducible secure

Relationships Between Nondeducibility & Noninterference

- For deterministic systems with just one high input and one low output, a system is noninterference secure if and only if it is nondeducibility secure.
- For deterministic systems with more than one high inputs, non-interference is stronger than non-deducibility

Proof.

- Theorem: For deterministic programs with just one high input variable x , let Z be the set of all low variables, x does not interfere with the set Z if and only if x and Z are nondeducible secure.
- Proof. If x does not interfere with Z , no matter what values x takes, the variables in Z are uniquely determined by inputs in Z . Observing values in Z cannot eliminate any value for x .
- If x interferes with Z , then there exist $x_1 \neq x_2$ and $Z_2 \neq Z_1$ such that $Z=Z_1$ when $x=x_1$ and $Z=Z_2 \neq Z_1$ when $x=x_2$. Observing $Z=Z_2$, one knows $x \neq x_1$, making x and X not nondeducible secure. This is because as x is the only high var and the system is deterministic, when fixing input variables in Z to values in Z_2 , the output variables are fixed as well.

Coming Attractions ...

- Integrity Models

