Consider the decimal presentation of an integer. Let's call a number d-magic if digit $d$ appears in decimal presentation of the number on even positions and nowhere else.

For example, the numbers $1727374,17,1$ are 7 -magic but $77,7,123,34,71$ are not 7 -magic. On the other hand the number 7 is 0 -magic, 123 is 2 -magic, 34 is 4 -magic and 71 is 1 -magic.

Find the number of $d$-magic numbers in the segment $[a, b]$ that are multiple of $m$. Because the answer can be very huge you should only find its value modulo $10^{9}+7$ (so you should find the remainder after dividing by $10^{9}+7$ ).

## Input

The first line contains two integers $m, d(1 \leq m \leq 2000,0 \leq d \leq 9)$ - the parameters from the problem statement.

The second line contains positive integer $a$ in decimal presentation (without leading zeroes).

The third line contains positive integer $b$ in decimal presentation (without leading zeroes).

It is guaranteed that $a \leq b$, the number of digits in $a$ and $b$ are the same and don't exceed 2000.

## Output

Print the only integer $a$ - the remainder after dividing by $10^{9}+7$ of the number of $d$-magic numbers in segment $[a, b]$ that are multiple of $m$.

## Sample 1

| Input | copy | Output | copy |
| :---: | :---: | :---: | :---: |
| 26 |  | 8 |  |
| 10 |  |  |  |
| 99 |  |  |  |

Sample 2

| Input | copy | Output | copy |
| :--- | :--- | :--- | :--- |
| 2 | 0 | 4 |  |
| 1 |  | 4 |  |

Sample 3

| Input | copy | Output | copy |
| :--- | :--- | :--- | :--- |
| 197   <br> 1000   <br> 9999  6 |  |  |  |

## Note

The numbers from the answer of the first example are $16,26,36,46,56,76,86$ and 96.

The numbers from the answer of the second example are 2, 4, 6 and 8 .

The numbers from the answer of the third example are $1767,2717,5757,6707,8797$ and 9747.

We consider a positive integer perfect, if and only if the sum of its digits is exactly 10. Given a positive integer $k$, your task is to find the $k$-th smallest perfect positive integer.

Input
A single line with a positive integer $k(1 \leq k \leq 10000)$.

## Output

A single number, denoting the $k$-th smallest perfect integer.

## Sample 1

| Input | copy | Output | copy |
| :--- | :--- | :--- | :--- |
| 1 |  | 19 |  |

## Sample 2

| Input | $\boxed{\text { copy }}$ | Output | copy |
| :--- | :--- | :--- | :--- |
| 2 |  | 28 |  |

Note

The first perfect integer is 19 and the second one is 28 .

In a two player card game, you have $n$ minions on the board and the opponent has $m$ minions. Each minion has a health between 1 and 6 .

You are contemplating your next move. You want to play an "Explosion" spell which deals $d$ units of damage randomly distributed across all minions. The damage is dealt one unit at a time to some remaining minion on the board. Each living minion (including your own) has the same chance of receiving each unit of damage. When a minion receives a unit of damage, its health is decreased by one. As soon as the health of a minion reaches zero, it is immediately removed from the board, before the next damage is dealt. If there are no minions left on the board, any excess damage caused by the spell is ignored.

Given the current health of all minions, what is the probability that the Explosion will remove all of the opponent's minions? Note that it does not matter if all your own minions die in the process as well, and the damage continues to be dealt even if all your own minions are gone.

## Input

The first line of input contains the three integers $n, m$, and $d(1 \leq n, m \leq 5$, $1 \leq d \leq 100$ ). Then follows a line containing $n$ integers, the current health of all your minions. Finally, the third line contains $m$ integers, the current health of all the opponent's minions. All healths are between 1 and 6 (inclusive).

## Output

Output the probability that the Explosion removes all the opponent's minions, accurate up to an absolute error of $10^{-6}$.

## Sample 1

| Input | copy | Output | copy |
| :--- | :--- | :--- | :--- |
| 11 2 2  <br> 1 1  0.33333333 |  |  |  |

Sample 2

| Input | copy | Output | copy |
| :--- | :--- | :--- | :--- |
| 2 | 3 | 12 |  |
| 3 | 2 |  | 0.13773809 |
| 4 | 2 | 3 |  |

Nanjing University of Science and Technology is celebrating its 60th anniversary. In order to make room for student activities, to make the university a more pleasant place for learning, and to beautify the campus, the college administrator decided to start construction on an open space.

The designers measured the open space and come to a conclusion that the open space is a rectangle with a length of $n$ meters and a width of $m$ meters. Then they split the open space into nx m squares. To make it more beautiful, the designer decides to cover the open space with $1 \times 1$ bricks and $1 \times 2$ bricks, according to the following rules:

1. All the bricks can be placed horizontally or vertically
2. The vertexes of the bricks should be placed on integer lattice points
3. The number of 1 x 1 bricks shouldn't be less than C or more than D . The number of 1 x 2 bricks is unlimited.
4. Some squares have a flowerbed on it, so it should not be covered by any brick. (We use 0 to represent a square with flowerbet and 1 to represent other squares)

Now the designers want to know how many ways are there to cover the open space, meeting the above requirements.

## Input

There are several test cases, please process till EOF.
Each test case starts with a line containing four integers $\mathrm{N}(1<=\mathrm{N}<=100), \mathrm{M}(1<=\mathrm{M}<=$ 10), $\mathrm{C}, \mathrm{D}(1<=\mathrm{C}<=\mathrm{D}<=20)$. Then following N lines, each being a string with the length of $M$. The string consists of ' 0 ' and ' 1 ' only, where ' 0 ' means the square should not be covered by any brick, and ' 1 ' otherwise.

## Output

Please print one line per test case. Each line should contain an integers representing the answer to the problem $\left(\bmod 10^{9}+7\right)$.

## Sample

| Input | copy | Output | copy |
| :---: | :---: | :---: | :---: |
| $\begin{array}{llll} \hline 1 & 1 & 0 & 0 \\ 1 & & & \\ 1 & 1 & 1 & 2 \\ 0 & & & \\ 1 & 1 & 1 & 2 \\ 1 & & & \\ 1 & 2 & 1 & 2 \\ 11 & & & \\ 1 & 2 & 0 & 2 \\ 01 & & & \\ 1 & 2 & 0 & 2 \\ 11 & & & \\ 2 & 2 & 0 & 0 \\ 10 & & \\ 10 & & \\ 2 & 2 & 0 & 0 \\ 01 & & & \\ 10 & & \\ 2 & 2 & 0 & 0 \\ 11 & & & \\ 11 & & & \\ 4 & 5 & 3 & 5 \\ 11111 & & \\ 11011 & & \\ 10101 & \\ 11111 & \end{array}$ |  | 0 0 1 1 1 2 1 0 2 954 |  |

