

CS 381 – FALL 2019

Week 1.1, Monday, August 19

Lectures

- ▣ Questions
 - I welcome clarification questions during lectures

- ▣ Remote Lecture?
 - I am attending CRYPTO in Santa Barbara
 - Prof. Atallah will teach class on Wednesday
 - I will be back on campus on Friday (Skype won't be the norm!)
 - Kevin Xia (GTA) can relay questions today

Wait List

- ▣ Maximum Enrollment*: 150
- ▣ Wait List: 17 (as of 8/18/2019)
- ▣ I will speak to the CS registrar to see if it is possible to open up additional slots after the first week
 - Seniors who still need to take the course would receive priority
 - I cannot make definitive promises

Course Personnel

Instructor

- ▣ Professor J. Blocki

Graduate TAs

- ▣ Kevin Xia (*head TA*)
- ▣ Tunazzina Islam
- ▣ Hai Nguyen
- ▣ Ahammed Ullah

Undergraduate TAs

- ▣ Michael Cinkoske
- ▣ Noah Franks
- ▣ Hiten Arun Rathod
- ▣ Abhishek Sharma (Head UTA)
- ▣ Himanshi Mehta
- ▣ Utkarsh Jain

Office Hours will be posted on Piazza
(Office Hours Begin 2nd Week)

Instructor Office Hours (Week 1): Fri, 2:30-3:30 PM

Course Resources

Course website

- ▣ www.cs.purdue.edu/homes/jblocki/courses/381_Fall19/
- ▣ Course policies, syllabus, course work, links to related material

Piazza

- ▣ <https://piazza.com/class/jyk8rg9el1s5m6>
- ▣ For discussion on course material, assignment questions
- ▣ Slides, assignments and solution sketches are posted
- ▣ Sign up!

Course Resources

Gradescope

- ▣ submitting typed assignments
- ▣ View graded exams
- ▣ Submit re-grade requests*
(re-grade policy discussed later)

Blackboard

- ▣ register your clicker before Friday!
- ▣ Grades
- ▣ (Optional) CS580 Lectures

Coursework and Grades

- ▣ **Assignments: 20%**
 - ▣ 7-8 written assignments
 - ▣ Must be typed, submitted on Gradescope
- ▣ **Clickers: 5%**
 - ▣ You can communicate with your neighbors
 - ▣ No makeups (lowest score dropped)
- **Exams**
 - ▣ closed book & notes, cheat sheet allowed
 - ▣ Midterm 1: 20% (Sep 25th. 8PM)
 - ▣ Midterm 2: 20% (Oct 30th. 8PM)
 - ▣ Final exam: 35%

Prerequisites for 381

▣ CS 182

- Applications of discrete math in CS
- Proof techniques: direct, indirect, induction
- Abstractions, recursion, counting

▣ CS 251

- Very good understanding data structures (their use, implementations, limitations, tradeoffs)
- Ability to judge and think through an implementation without coding
- No programming assignments in 381

More on prerequisites

- ▣ Data structures
 - Stacks, queues, search trees (binary, balanced), priority queues, hashing, trees, graphs
 - Operations on data structures under different implementations

More on prerequisites

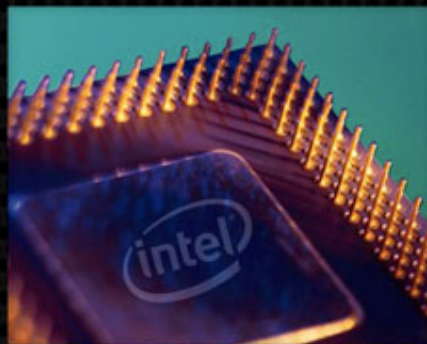
- ▣ Algorithms
 - Searching and sorting
 - Graph and tree traversals
(BFS, DFS, pre, post, inorder)
 - Computing graph properties
 - Examples of greedy algorithms:
Shortest path, min spanning tree
 - Analyze asymptotic performance
of given code

Course Highlights

- ▣ Introduction to the Analysis of Algorithms
 - Central to all of Computer Science!
- ▣ Techniques to Design Efficient Algorithms
 - Greedy, Divide and Conquer, Dynamic Programming, Network Flow, Reductions etc...
 - Desiderata: Efficient, Concise and Correct
- ▣ Analysis
 - Analyze required resources to execute (space/time)
 - Prove that the algorithm is correct

LIFE-CRITICAL SYSTEM VERIFICATION

"If it fails, people die."



Theoretical computer scientists harness the power of logic and mathematics to provide a provable guarantee of safety.

Course Highlights

▣ Problem Solving!

- Abstracting the essential features of a problem
- Developing creative, efficient, and non-obvious solutions to problems.
- Analyzing an algorithm's performance and resource usage in a machine and language independent way.

▣ Understanding computational limitations

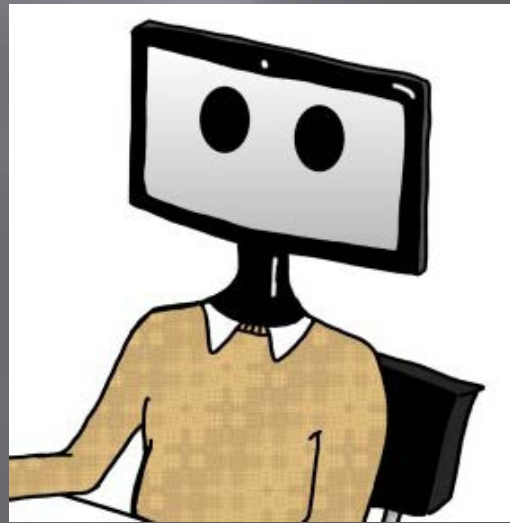
- Are there problems that don't permit efficient algorithmic solutions
- P vs. NP (Million Dollar Problem)

Homework Solutions

- ▣ What you submit needs to be understandable (and typed)
- ▣ We want human readable pseudo code
 - ▣ Target audience is a human TA not a compiler!



CS381 GTAs



Not a TA

Homework Solutions

- ▣ Graded for correctness, clarity, conciseness, rigor, and efficiency
- ▣ Type using any software supporting math notations (good opportunity to learn LaTeX)
- ▣ Read homework guidelines on course webpage

Cannot Solve Problem?

- ▣ Partial Credit
 - Clearly identify a reasonable approach to solve the problem
 - Maximize partial credit by identifying gaps in your attempted solution
- ▣ Better to acknowledge that you don't know than to pretend you solved it.
 - 15% credit for simply admitting "I could not solve the problem"
 - Can receive 0% credit for bad/obfuscated ``solutions''

Exams

- ▣ Closed Book (No Phones, Laptops, Calculators, Smart watches etc...)
 - Allowed one sided page of handwritten notes
 - Communicate only with course staff during exam

- ▣ Disability Requiring Special Accommodation:
 - Contact instructor promptly (first 3 weeks of class)
 - Need official letter from Disability Resource Center

- ▣ Final Exam (TBD)
 - Do not book travel before last possible date (Dec 14th)

Regrade Requests

- ▣ Graders are human, please be patient!
- ▣ Submit on Gradescope
 - Within 14 days of return of assignment (exception for final exam)
 - Should clearly explain what you think the grader missed
 - Not an opportunity to expand your answer!
 - Double Check Carefully
 - ▣ Your grade can go up or down!
- ▣ Appeal Rejected Regrade?
 - 2 points bonus I agree you are correct (for your trouble)
 - 2 points deduction if I agree with TA (most common outcome)

Course standards and policies

- ▣ Collaborations is allowed, but you must acknowledge collaborators on your homework
 - ▣ Don't cheat yourself out of learning how to solve problems!
 - Suggestion: spend at least 15 minutes thinking about each problem yourself before collaborating
 - ▣ Reference all sources used
 - Failure to acknowledge a collaborator or key source is cheating!
 - ▣ All submitted solutions must be written entirely in your own words!
 - ▣ You must understand your solution completely
 - If you could not explain your solution to course staff that is considered cheating!
- https://www.cs.purdue.edu/homes/jblocki/courses/381_Fall19/syllabus/syllabus.pdf

Late Homework

- ▣ Not Late
 - No Penalty
- ▣ Less than 24 hours late
 - 10 point penalty (out of 100 possible points)
 - Subtracted from final score
- ▣ 24 to 48 hours late
 - 25 point penalty (out of 100 possible points)
 - Subtracted from final score
- ▣ More than 2 days late
 - No Credit ☹

About Copyright

- ▣ Course materials, including slides, tests, and other course materials, are protected by copyright.
 - I am the owner of the copyright in the materials I create.
 - CLRS/KT/W/Susanne etc... are the owners of the material I use from the slides they provide.
- ▣ You may make copies of course materials for your own use.
- ▣ You may not and may not allow others to reproduce or distribute lecture notes and course materials publicly without written consent.
- ▣ Similarly, you own copyright in your answers to assignments.
 - If I am interested in posting your answers on the course web site, I will ask for your written permission.

Piazza Rules of Conduct

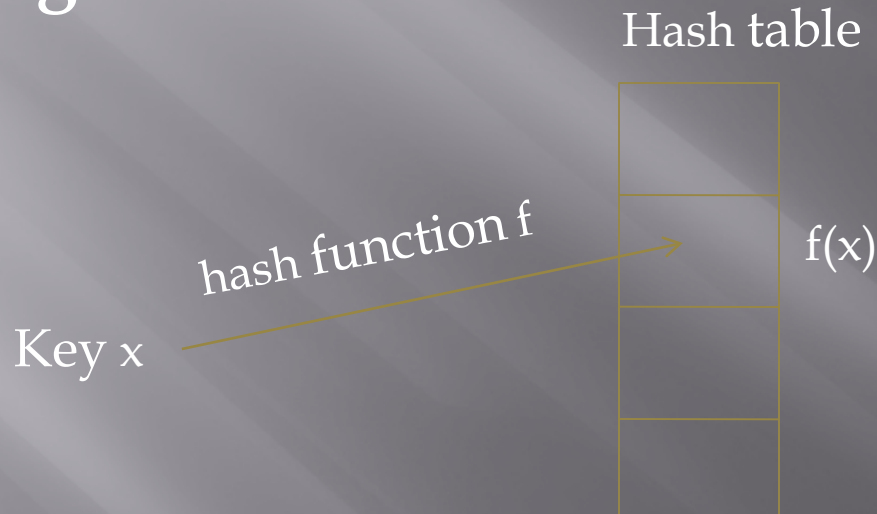
- ▣ Piazza is intended for clarification of questions of general interest.
- ▣ Piazza cannot be used to post answers to assignments, detailed descriptions of solutions, or hints.
- ▣ Piazza is not the forum for complaints about an assignment, exam, or the class.
 - Any concerns should be brought to the attention of the instructor.
- ▣ Be courteous and professional when posting/emailing and use appropriate language.
- ▣ If you are not sure whether a posting is appropriate, make sure it is made private or e-mail us.

Your tasks

- ▣ Register your clicker
- ▣ Sign up on Piazza
- ▣ Suggested Reading
 - CLRS: Sections 10 and 12 (data structures)
 - CLRS: Appendices A and B (discrete math)
- ▣ Assignment 1 will be posted by Friday
 - Review of material needed for algorithm analysis
- ▣ Attend PSOs to review proof techniques

A Remark about Hashing

- ▣ Hashing (for insert, delete, search) is important and effective
- ▣ **Algorithms in CS381 do not use hashing**



Collisions can lead to poor worst case performance

- To get $O(1)$ expected performance per operation, one needs the right table size, a good hash function and good collision resolution

Warm Up: Sorting

Input: n numbers a_1, \dots, a_n stored in an array A

Output: sorted sequence of size n

(increasing = non-decreasing)

Algorithms you should know

- ▣ *Bubble sort, Insertion Sort, Selection Sort*
- ▣ Merge Sort, Quicksort, Heapsort

Review

- ▣ asymptotic performance, stable sorting, in place sorting

Insertion Sort

- ▣ create the sorted sequence in an incremental way
- ▣ start with a sorted sequence of length 1 and insert one more element in each iteration

INSERTION-SORT (A, n)

for $j \leftarrow 2$ to n do

$key \leftarrow A[j]$

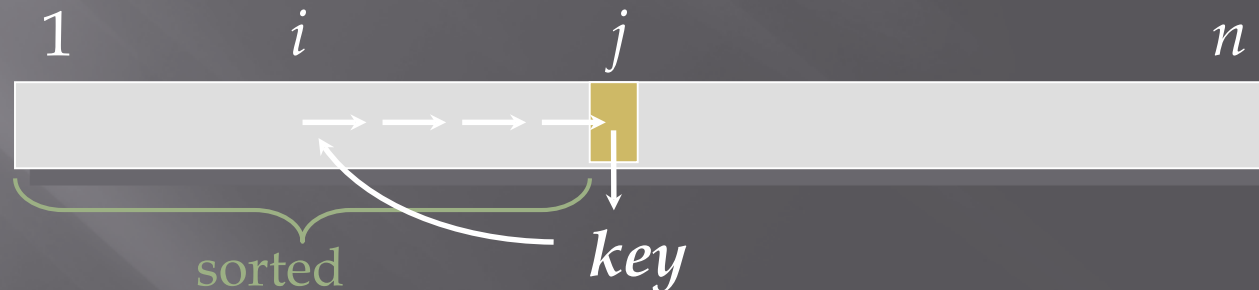
$i \leftarrow j - 1$

 while $i > 0$ and $A[i] > key$ do

$A[i+1] \leftarrow A[i]$

$i \leftarrow i - 1$

$A[i+1] = key$



What is the running time of Insertion Sort?

Number of times the while-loop is executed depends on the input

- ▣ increasingly sorted input is fast; decreasing is slow.
- ▣ Worst case? $\sum_{j=2}^n j < n^2$
- ▣ Average case?

What all do we count/have to count when analyzing time?

- ▣ In (internal) sorting algorithm we generally count the number of comparison

Asymptotic Performance

Pseudo code has two nested loops

- while loop moves left from j to 1
- total time won't be more than quadratic.

Note: A doubly nested loop does not necessarily result in quadratic time

Worst case: $T(n) = O(n^2)$

- ▣ Work is bounded by summing the first $n-1$ integers which is equal to $n(n-1)/2$
- ▣ Time is proportional to n^2
- ▣ Also, $T(n) = \Theta(n^2)$

Insertion Sort: Correctness

INSERTION-SORT (A, n)

for $j \leftarrow 2$ to n do

Pre-Condition: $A[1] \leq A[2] \dots \leq A[j - 1]$

$key \leftarrow A[j]$

$i \leftarrow j - 1$

while $i > 0$ and $A[i] > key$ do

$A[i+1] \leftarrow A[i]$

$i \leftarrow i - 1$

$A[i+1] = key$

Post-Condition: $A[1] \leq A[2] \dots \leq A[j]$

Insertion Sort: Correctness

INSERTION-SORT (A, n)

for $j \leftarrow 2$ to n do

Pre-Condition: $A[1] \leq A[2] \dots \leq A[j - 1]$

$key \leftarrow A[j]$

$i \leftarrow j - 1$

while $i > 0$ and $A[i] > key$ do

$A[i+1] \leftarrow A[i]$

$i \leftarrow i - 1$

$A[i+1] = key$

Post-Condition: $A[1] \leq A[2] \dots \leq A[j]$

Post-Condition when $j=n \rightarrow$ entire array A is sorted.

Insertion Sort: Correctness

Pre-Condition: $A[1] \leq A[2] \dots \leq A[j-1]$

$key \leftarrow A[j]$

$i \leftarrow j-1$

Define $A_{orig}[1, \dots, j-1] := A[1, \dots, j-1]$

while $i > 0$ and $A[i] > key$ **do**

$A[i+1] \leftarrow A[i]$

$i \leftarrow i-1$

Invariant: $A[1, \dots, i-1] = A_{orig}[1, \dots, i-1]$ (untouched)

$A[i+2, \dots, j] = A_{orig}[i+1, \dots, j-1]$ (shift once*)

$key < A[i+2]$

$A[i+1] = key$

Post-Condition: $A[1] \leq A[2] \dots \leq A[j]$