Outline

- Introduction
- Background
- Distributed DBMS Architecture
- Distributed Database Design
- Distributed Query Processing
- Distributed Transaction Management
 - ☐ Transaction Concepts and Models
 - ☐ Distributed Concurrency Control
 - □ Distributed Reliability
- Building Distributed Database Systems (RAID)
- Mobile Database Systems
- Privacy, Trust, and Authentication
- Peer to Peer Systems

Useful References

- Textbook Principles of Distributed Database Systems,
 Chapter 12.1, 12.2
- J. Gray and A. Reuter. Transaction Processing
 Concepts and Techniques. Morgan Kaufmann,
 1993. (Copy on reserve in MATH library)
- Bharat Bhargava (Ed.), Concurrency Control and Reliability in Distributed Systems, Van Nostrand and Reinhold Publishers, 1987.
 (Copy on reserve in LWSN reception office book shelf)

Reliability

In case of a crash, recover to a consistent (or correct state) and continue processing.

Types of Failures

- 1. Node failure
- 2. Communication line of failure
- 3. Loss of a message (or transaction)
- 4. Network partition
- 5. Any combination of above

Approaches to Reliability

- 1. Audit trails (or logs)
- 2. Two phase commit protocol
- 3. Retry based on timing mechanism
- 4. Reconfigure
- 5. Allow enough concurrency which permits definite recovery (avoid certain types of conflicting parallelism)
- 6. Crash resistance design

Recovery Controller

Types of failures:

- * transaction failure
- * site failure (local or remote)
- * communication system failure

Transaction failure

UNDO/REDO Logs

transparent transaction

(effects of execution in private workspace)

⇒ Failure does not affect the rest of the system

Site failure

volatile storage lost stable storage lost processing capability lost (no new transactions accepted)

System Restart

Types of transactions:

- 1. In commitment phase
- 2. Committed actions reflected in real/stable
- 3. Have not yet begun
- 4. In prelude (have done only undoable actions)

We need:

```
stable undo log; stable redo log (at commit);
perform redo log (after commit)
```

Problem:

entry into undo log; performing the action

Solution:

```
undo actions \neg < T, A, E > must be restartable (or idempotent)
```

```
DO – UNDO

≡ UNDO

≡ DO – UNDO – UNDO – UNDO --- UNDO
```

Site Failures (simple ideas)

Local site failure

- Transaction committed \Rightarrow do nothing
- Transaction semi-committed \Rightarrow abort
- Transaction computing/validating \Rightarrow abort

AVOIDS BLOCKING

Remote site failure

- Assume failed site will accept transaction
- Send abort/commit messages to failed site via spoolers

Initialization of failed site

- Update for globally committed transaction before validating other transactions
- If spooler crashed, request other sites to send list of committed transactions

Communication Failures (simple ideas)

Communication system failure

- Network partition
- Lost message
- Message order messed up

Network partition solutions

- Semi-commit in all partitions and commit on reconnection (updates available to user with warning)
- Commit transactions if primary copy token for all entities within the partition
- Consider commutative actions
- Compensating transactions

Compensation

Compensating transactions

- Commit transactions in all partitions
- Break cycle by removing semi-committed transactions
- Otherwise abort transactions that are invisible to the environment (no incident edges)
- Pay the price of committing such transactions and issue compensating transactions

Recomputing cost

- Size of readset/writeset
- Computation complexity

Reliability and Fault-tolerate Parameters

Problem:

How to maintain

atomicity

durability

properties of transactions

Fundamental Definitions

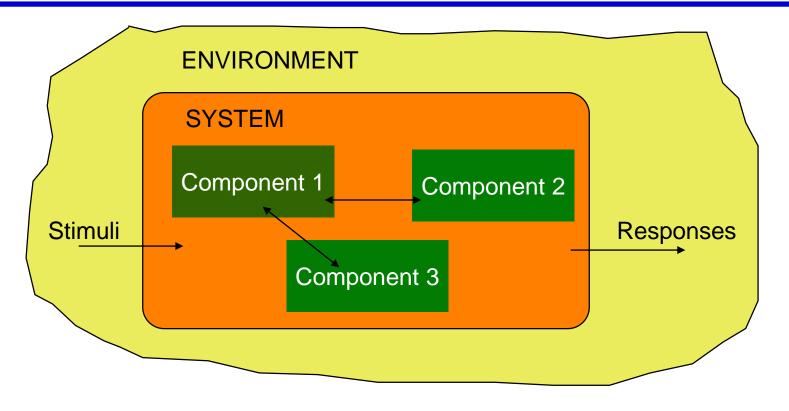
Reliability

- ☐ A measure of success with which a system conforms to some authoritative specification of its behavior.
- □ Probability that the system has not experienced any failures within a given time period.
- ☐ Typically used to describe systems that cannot be repaired or where the continuous operation of the system is critical.

Availability

- ☐ The fraction of the time that a system meets its specification.
- ☐ The probability that the system is operational at a given time *t*.

Basic System Concepts



External state

Internal state

Fundamental Definitions

Failure

☐ The deviation of a system from the behavior that is described in its specification.

□ Erroneous state

☐ The internal state of a system such that there exist circumstances in which further processing, by the normal algorithms of the system, will lead to a failure which is not attributed to a subsequent fault.

Error

☐ The part of the state which is incorrect.

Fault

☐ An error in the internal states of the components of a system or in the design of a system.

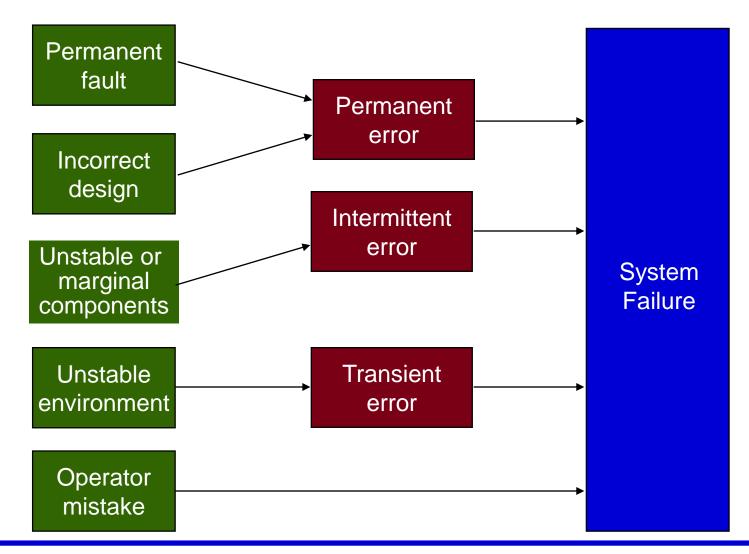
Faults to Failures



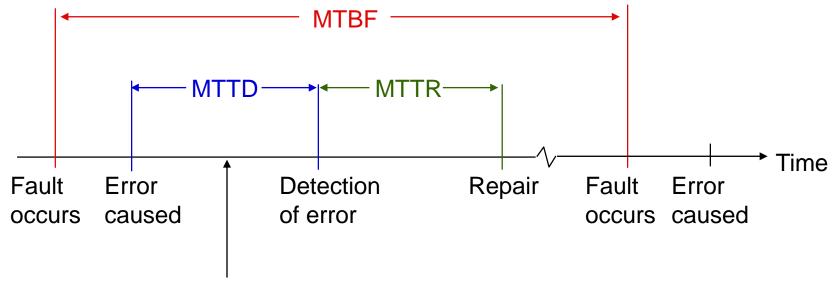
Types of Faults

- Hard faults
 - Permanent
 - ☐ Resulting failures are called hard failures
- Soft faults
 - ☐ Transient or intermittent
 - ☐ Account for more than 90% of all failures
 - ☐ Resulting failures are called soft failures

Fault Classification



Failures



Multiple errors can occur during this period

Fault Tolerance Measures

Reliability

 $R(t) = \Pr\{0 \text{ failures in time } [0,t] \mid \text{ no failures at } t=0\}$

If occurrence of failures is Poisson

$$R(t) = \Pr\{0 \text{ failures in time } [0,t]\}$$

Then

$$\Pr(k \text{ failures in time } [0,t] = \frac{e^{-m(t)}[m(t)]^k}{k!}$$

where m(t) is known as the *hazard function* which gives the time-dependent failure rate of the component and is defined as

$$m(t) = \int_{0}^{t} z(x)dx$$

Fault-Tolerance Measures

Reliability

The mean number of failures in time [0, t] can be computed as

$$E[k] = \sum_{k=0}^{\infty} k \frac{e^{-m(t)}[m(t)]^k}{k!} = m(t)$$

and the variance can be be computed as

$$Var[k] = E[k^2] - (E[k])^2 = m(t)$$

Thus, reliability of a single component is

$$R(t) = e^{-m(t)}$$

and of a system consisting of n non-redundant components as

$$R_{sys}(t) = \prod_{i=1}^{n} R_i(t)$$

Fault-Tolerance Measures

Availability

 $A(t) = \Pr\{\text{system is operational at time } t\}$

Assume

- \square Poisson failures with rate λ
- $\hfill\square$ Repair time is exponentially distributed with mean $1/\mu$

Then, steady-state availability

$$A = \lim_{t \to \infty} A(t) = \frac{\mu}{\lambda + \mu}$$

Fault-Tolerance Measures

MTBF

Mean time between failures

$$MTBF = \int_0^\infty R(t)dt$$

MTTR

Mean time to repair

Availability

MTBF

MTBF + MTTR