

# Outline

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- Introduction
- Background
- Distributed DBMS Architecture
- Distributed Database Design
- Distributed Query Processing
- Transaction Management
  - Commit/Termination protocols – 3PC
- Building Distributed Database Systems (RAID)
- Mobile Database Systems
- Privacy, Trust, and Authentication
- Peer to Peer Systems

# Useful References

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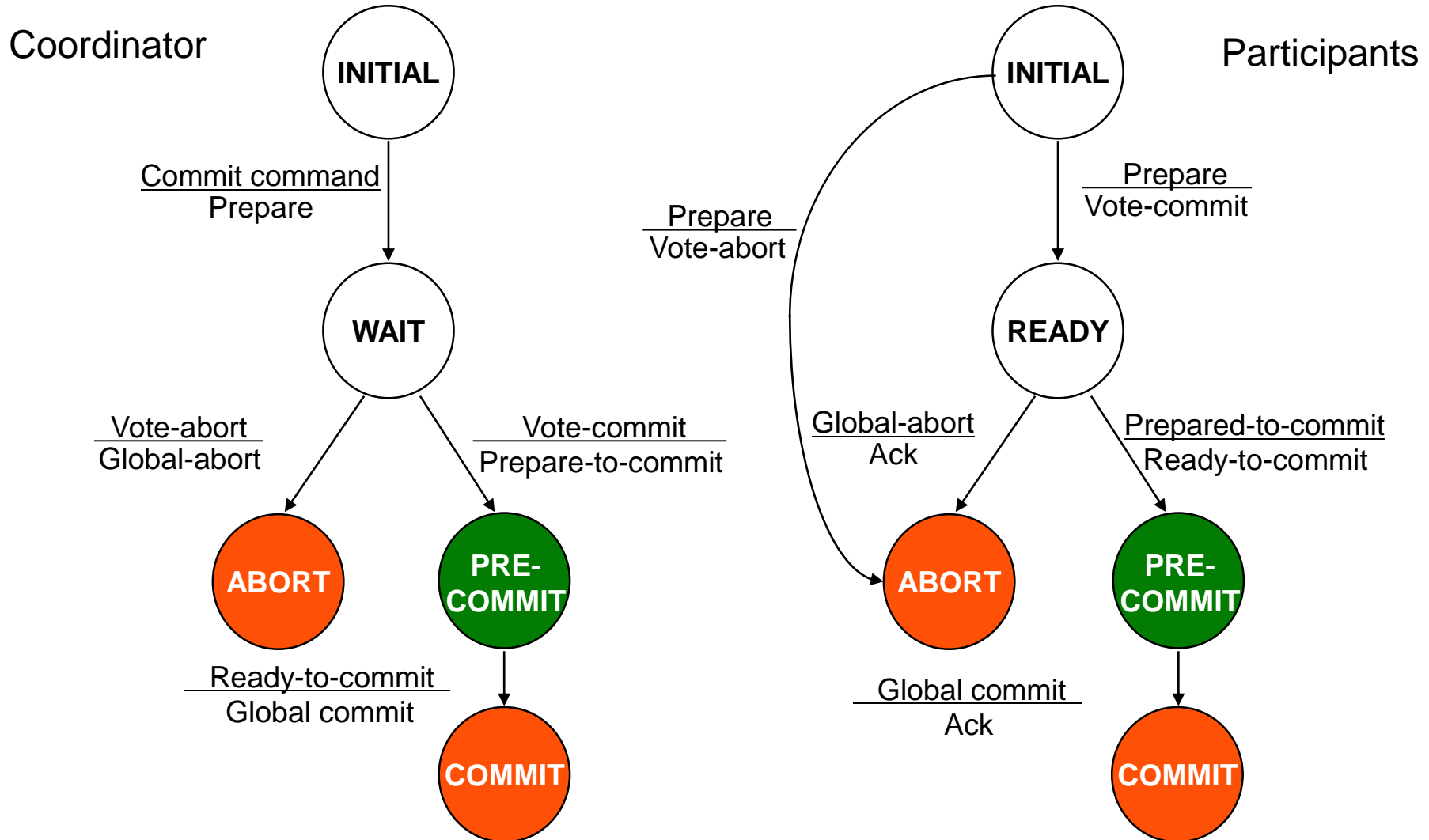
- Textbook *Principles of Distributed Database Systems*,  
Chapter 12.5

# Three-Phase Commit

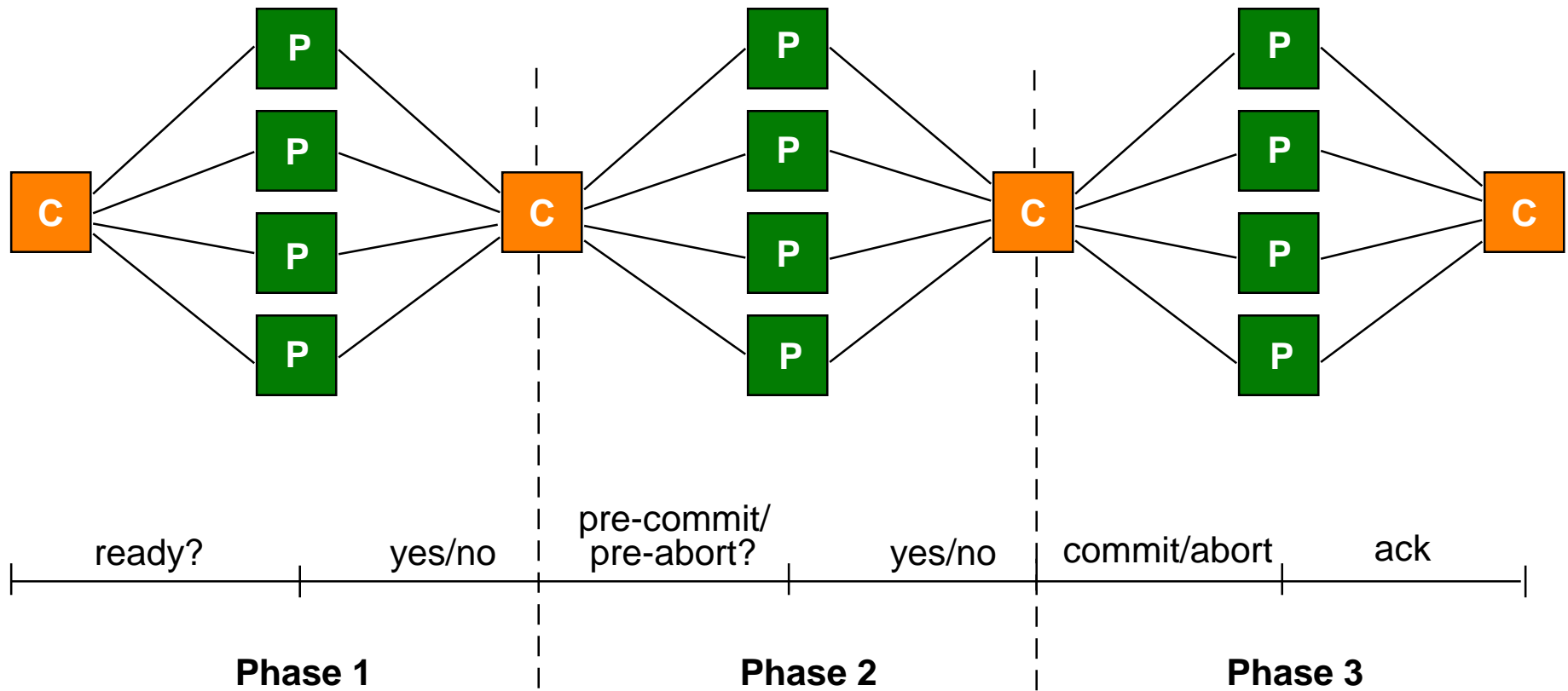
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- 3PC is non-blocking.
- A commit protocols is non-blocking iff
  - it is synchronous within one state transition, and
  - its state transition diagram contains
    - no state which is “adjacent” to both a commit and an abort state, and
    - no non-committable state which is “adjacent” to a commit state
- Adjacent: possible to go from one stat to another with a single state transition
- Committable: all sites have voted to commit a transaction
  - e.g.: COMMIT state

# State Transitions in 3PC



# Communication Structure (see book)



# Formalism for Commit Protocols

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$\langle \mathbf{Q}, \Sigma_I, \Sigma_0, \delta, V, A, C \rangle$

- $\mathbf{Q}$ : Finite set of states
- $\Sigma_I$ : Messages addressed to the site
- $\Sigma_0$ : Messages sent by the site
- $\delta$ :  $(\mathbf{Q}, \Sigma_I^*) \rightarrow (\mathbf{Q}, \Sigma_0^*)$
- $V_i \in \mathbf{Q}$ : Initial state
- $A \subset \mathbf{Q}$ : Abort states
- $C \subset \mathbf{Q}$ : Commit states

# Formalism for Commit Protocols

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Properties:

1.  $A \cap C = \phi$
2.  $V_i \notin A$  and  $V_i \notin C$

Protocols are non-deterministic:

- Sites make local decisions.
- Messages can arrive in any order.

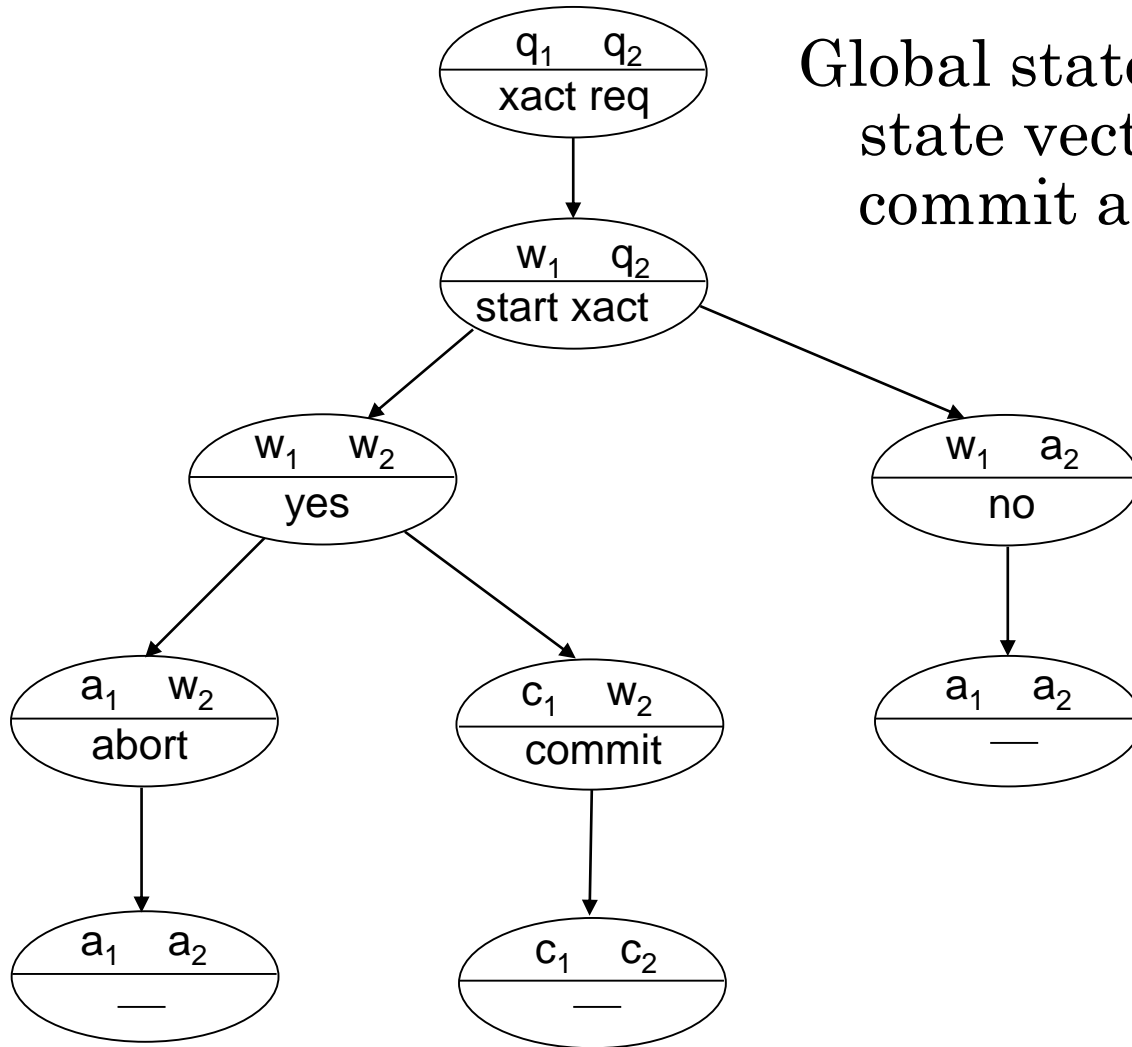
# Global State Definition

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- Global state vector containing the states of the local protocols.
- Outstanding messages in the network
- A global state transition occurs whenever a local state transition occurs at a participating site.
- Exactly one global transition occurs for each local transition.



# Global State Graph



Global state is inconsistent if its state vector contains both a commit and abort state.

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Two states are potentially concurrent if there exists a reachable global state that contains both local states.

Concurrency set of  $s$  is set of all local states that are potentially concurrent with it.  $C(s)$

$$C(w_1) = \{q_2, a_2, w_2\}$$

The sender set for  $s$ ,

$$S(s) = \{t/t \text{ sends message } m \ \& \ m \in M\}$$

where  $M$  be the set of messages that are received by  $s$ .

$t$  is a local state.

# States of Various States in the Commit Protocol

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- Global state inconsistent if it contains both
  - local commit state
  - local abort state
- Final state if
  - All local states are final
- Terminal state if:
  - there exists an immediately reachable successor state
  - $\Rightarrow$  deadlock
- Committable state (local) if:
  - all sites have voted yes on committing the transaction
- Otherwise, non-committable

# An Example when Only a Single Site Remains Operational

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- This site can safely abort the transaction if and only if the concurrency set for its local state does not contain a commit state
- This site can safely commit only if
  - Its local state must be “committable”
  - And the concurrency set for its state must not contain an abort state.
- A blocking situation arises when
  - The concurrency set for the local state contains both a commit and an abort state
  - Or the site is in a “noncommittable” state and the concurrency set for that state contains a commit state
    - The site can not commit because it can not infer that all sites have voted yes on committing
    - It can not abort because another site may have committed the transaction before crashing.
- These observations imply the simple but powerful result in the next slide

# Fundamental Non-blocking Theorem

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- **Definition:** protocol is synchronous within one state transition if one site never leads another site by more than one state transition.
- **Theorem Fundamental non-blocking:** A protocol is non-blocking iff
  - There exists no local state  $s$   
 $C(s) = A$  (abort) and  $C$  (commit)
  - And there exists no non-committable state  $s$   
 $C(s) = C$  (commit)
- **Lemma:** A protocol that is synchronous within one state transition is non-blocking iff:
  - No local state is adjacent to both a commit & an abort state
  - No non-committable state is adjacent to a commit state

# Three-Phase Commit Protocol

