

# Principles of Concurrency and Parallelism

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## Lecture 4: Message-Passing and CSP

1/19/12

# Issues

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- Given a collection of threads, how should they communicate information among one another?
- Using message-passing, they communicate through *messages*, information that is directed from one thread to another.
  - Sometimes the recipient may be anonymous
    - channel-based communication
  - Typically, the recipient is known
- What should the sender do after the message is sent?
  - wait until the recipient acknowledges receipt (synchronous)
  - proceed regardless (asynchronous)

# Communicating Sequential Processes

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- Landmark proposal by Hoare in 1978
- Key components
  - guarded commands
  - dynamic thread creation
  - synchronous message passing
    - an input action in a guarded command causes the actions in the guard to block until the input action can be satisfied
      - there is a matching output action
  - *No communication through global (shared) variables*

# Parallel Commands

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```
room :: ROOM || fork(i:0..4) :: FORK || phil(i:0..4) :: PHIL
```

- Defines eleven processes
- Behavior of processes `fork(0)`, ..., `fork(4)` specified by command `FORK`
  - Bound variable `i` indicates identity of a particular fork
- Similar structure for `phil`

# Input and Output Commands

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- $X \ ? \ (a, b)$ 
  - inputs from process  $X$  a pair, binding the first element to  $a$  and the second to  $b$
- $Y \ ! \ (3 * a, b + 13)$ 
  - outputs to process  $Y$  a pair, consisting of the values computed by the corresponding expressions within the environment in which the command takes place
- $X(i) \ ? \ V()$ 
  - From the  $i$ th array of processes  $X$ , input a signal  $V()$
- $display(i-2) \ ! \ "A"$ 
  - send to the  $i$ -2nd display the character “A”

# Guarded Commands

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$$x \geq y \rightarrow m := x \quad [] \quad y \geq x \rightarrow m := y$$

Assign  $m$  to  $x$  if  $x \geq y$ ; assign  $m$  to  $y$  if  $y \geq x$ . Do one or the other if  $x = y$ .

```
i := 0;  
* [ i < size; content(i) <> n -> i := i + 1 ]
```

Scan the elements of the array contents incrementing counter  $i$  as long as  $n$  is not encountered and the end of the array is not reached.

# Guarded Commands

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```
X:: *[c:char, A?c ->
    [ c <> "*" --> B!c
    []
      c = "*" --> A?c;
                                [ c <> "*" --> B!"*"; B!c
                                []
                                c = "*" --> B!"#" ]
    ] ]
```

What does this program do?  
What assumptions does it make?

# Bounded Buffer

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```
X::
  buffer:(0..9) portion;
  in,out:integer, in:= 0; out := 0;
  *[in < out + 10; producer?buffer(in mod 10) --> in := in + 1
    []
      out < in; consumer?more() --> consumer ! buffer(out mod 10);
      out := out + 1
  ]
```

Consumer contains pairs of commands  $X!more()$  and  $X?p$   
Producer contains commands of the form  $X!p$



# Small Set of Integers

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```
S::
  content:(0..99)integer, size:integer,size := 0;
*[  n:integer,X?has(n) --> SEARCH;X!(i<size)
  || n:integer; X?insert(n) --> SEARCH;
    [i<size --> skip
    | i = size; size < 100 --> content(size) := n; size := size + 1
  ]  ]
```

where SEARCH is:

```
i:integer; i := 0;
*[i < size; content(i) <> n --> i := i + 1 ]
```

# Dining Philosophers

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- Five philosophers:
  - Only eat and think
  - Share a common dining room.
    - Shared bowl of spaghetti
    - Five forks
  - Need two forks to eat (both right and left)
  - After finishing eating, puts both forks down

# Dining Philosophers

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```
PHIL = *[ ... for ith philosopher ....
    THINK;
    room!enter( );
    fork(i)!pickup(); fork((i+1) mod 5)!pickup();
    EAT;
    fork(i)!putdown(); fork((i+1) mod 5)!putdown();
    room!exit()
]

FORK = *[phil(i)?pickup() --> phil(i)?putdown()
    | (phil(i - 1) mod 5)?pickup() --> phil((i-1) mod 5)?putdown()
]

ROOM = occupancy:integer; occupancy := 0;
    *[(i:0..4)phil(i)?enter() --> occupancy := occupancy + 1
    | (i:0..4)phil(i)?exit() --> occupancy := occupancy - 1
]

[room::ROOM || fork(i:0..4)::FORK || phil(i:0..4)::PHIL]
```

What happens if all five philosophers enter the room, and each picks up the left fork?  
How would you solve the problem?

# Issues

- Explicit naming of source and destination
  - No first-class channels or ports
- Fully synchronous
  - How would you model asynchronous communication?
- No unbounded number of processes
- Fairness 

```
[X::Y!stop() || Y::continue:boolean; continue := true;
                    *[ continue; X?stop( ) --> continue := false
                    | continue --> n := n + 1
                    ]
```
- Output guards  

```
z:: [X!2 || Y!3]
```

 could be expressed as: 

```
z::[X!2 --> Y!3 [] Y!3 --> X!2]
```

Why does the following not work? 

```
z::[true --> X!2; Y!3 [] true --> Y!3; X!2]
```

Consider: 

```
Y :: Z?y; X!go() || X:: Y?go(); Z?x
```

# Readings

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- Communicating Sequential Processes, Hoare (1978)
- See also <http://www.usingcsp.com/cspbook.pdf>