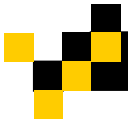




An Interactive and Rip-able Cloth

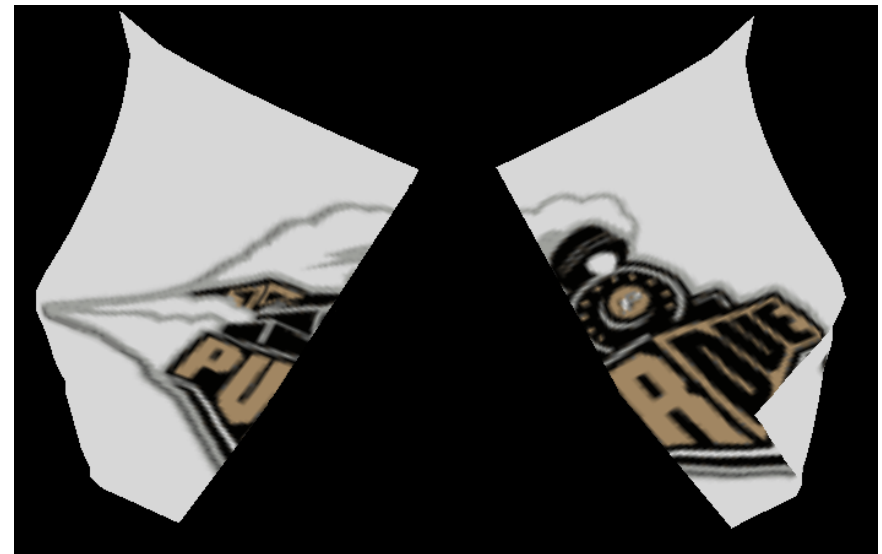
Nate Andrysko

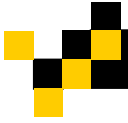


Goal



- Have a virtual cloth that can be dynamically torn.



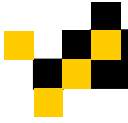


Intro to Cloth Simulation



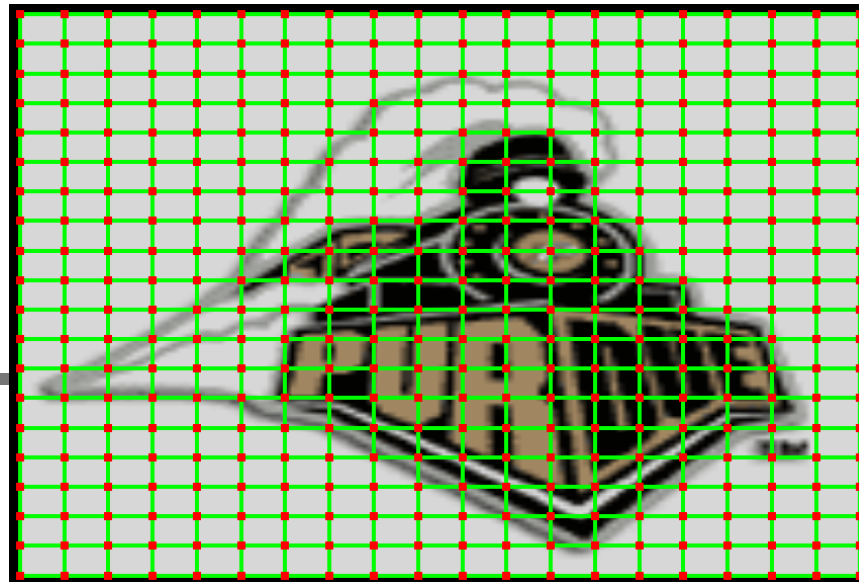
- Real-life cloths are meshes of thousands, if not millions, of threads.
- Approximate using meshes of particles.
 - Speeds up simulation while maintaining realism.

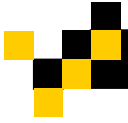




Mass-Spring Model

- Mesh of particles connected by virtual springs.
 - The springs are analogous to threads.
 - Particles are the intersection of two threads.

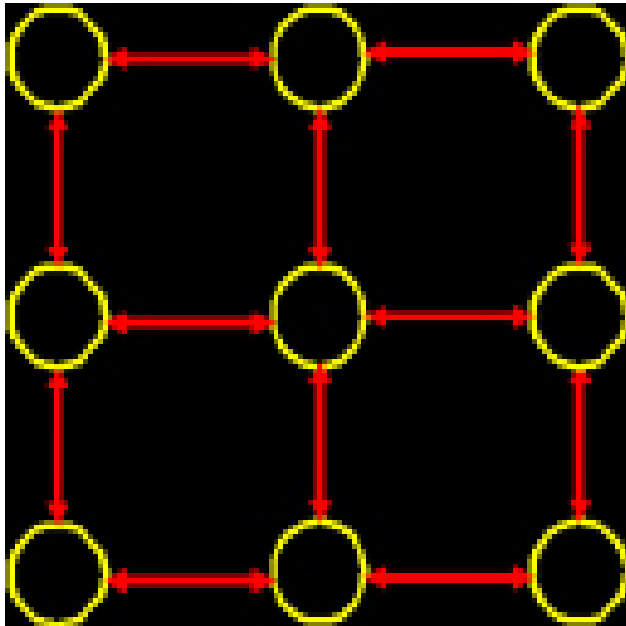




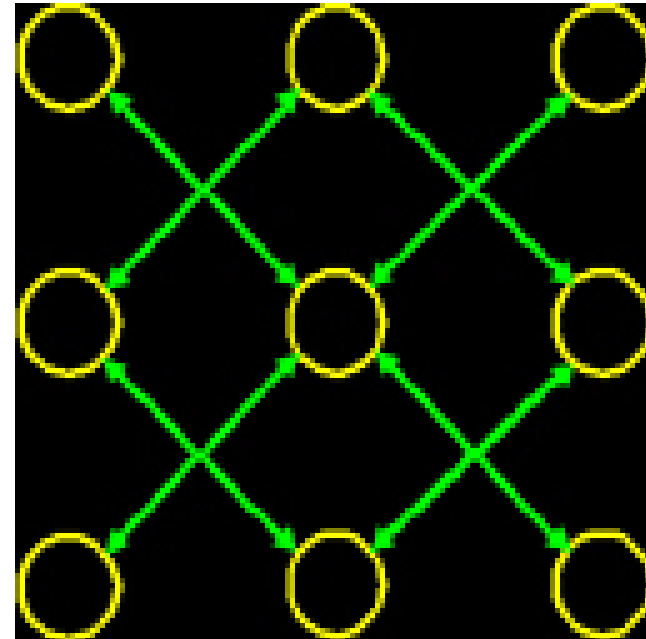
Types of Springs

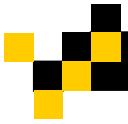


Structural



Shear

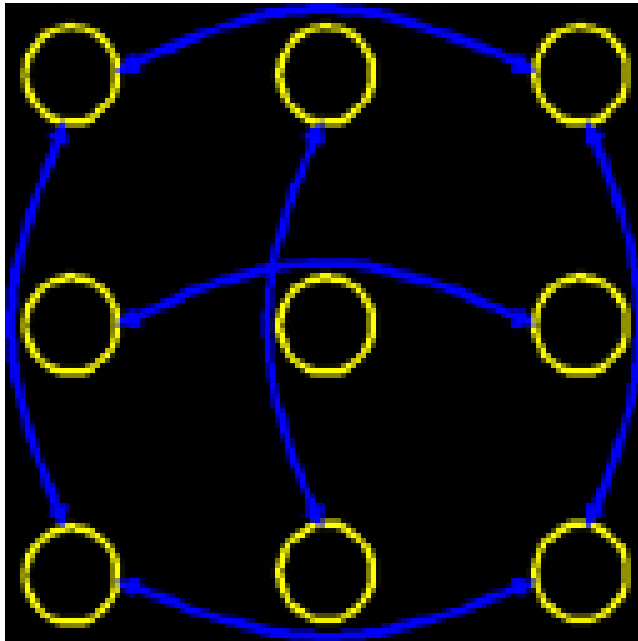




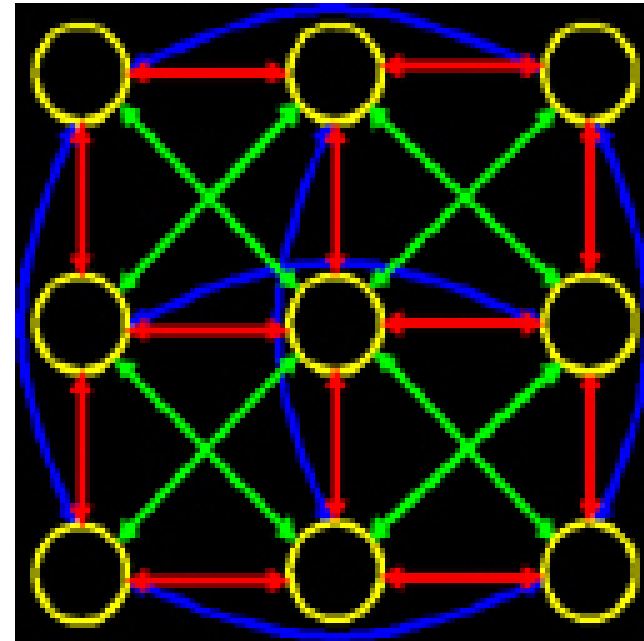
Types of Springs

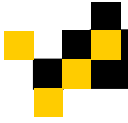


Bend



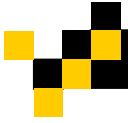
All Together





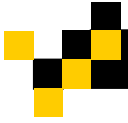
Other Forces

- Add additional forces to make the cloth behave more realistically.
 - ☐ Gravity
 - ☐ Wind
 - ☐ Friction
 - ☐ Collision Response



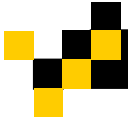
Updating the Simulation

- Use integration to update the position of a particle given a time step, h , and the forces acting on the particle.
 - $v = dx / dt$, $F/m = a = dv / dt$
- Again, need to approximate using numerical integration.
 - Euler, Runge-Kutta 4th Order, Verlet



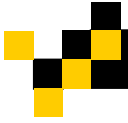
Collision Detection

- After position update, perform collision detection.
 - Collisions with external objects.
 - Collisions with the cloth's own triangles.
 - Many papers devoted to both types of collisions.
-



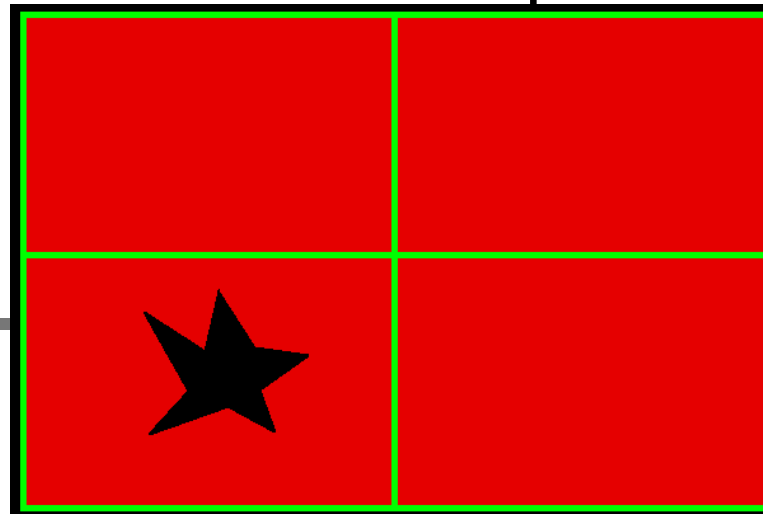
Tearing a Cloth

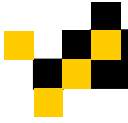
- Why such a “tear-able” idea?
 - Animators must specify the ripping of a cloth by hand.
 - Incorporate into a game setting.
 - i.e. shoot a cloth in a first-person shooter



Difficulty

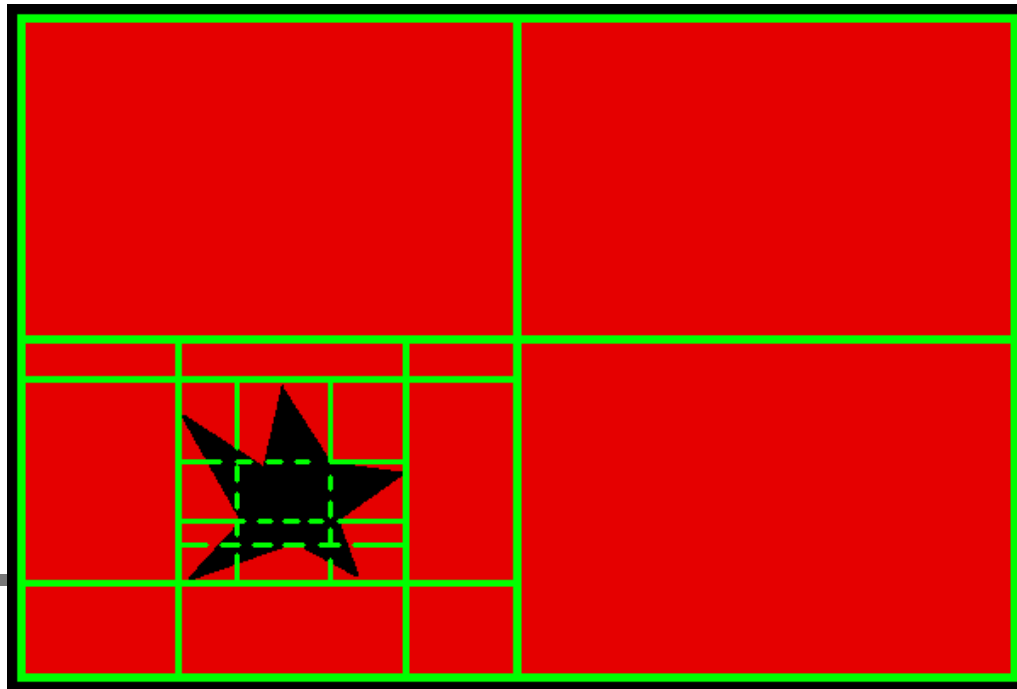
- If we had an infinite amount of resources, the problem would be easy.
- The particle approximations are what make it difficult.
 - What should we do if we have a rip in the middle of a quad?

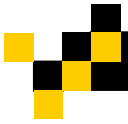




Solution

- Refine the mesh where a tear occurs.
 - Keep realism while maintaining minimal complexity.

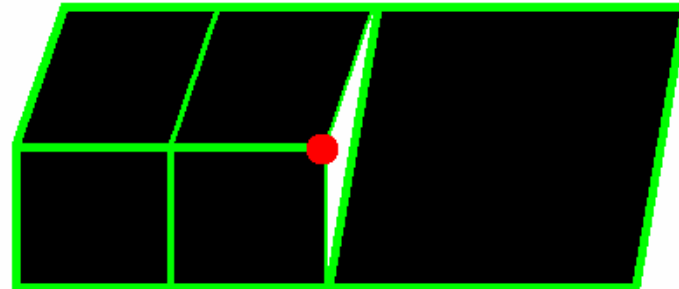
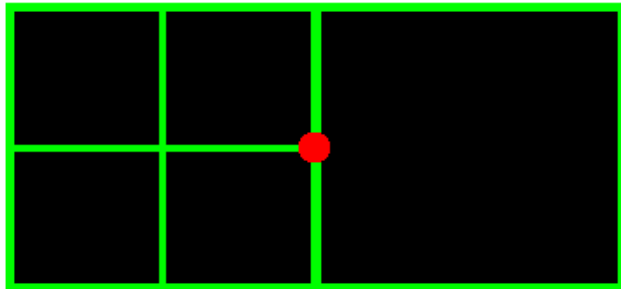


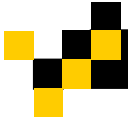


T-Junctions

■ Problem:

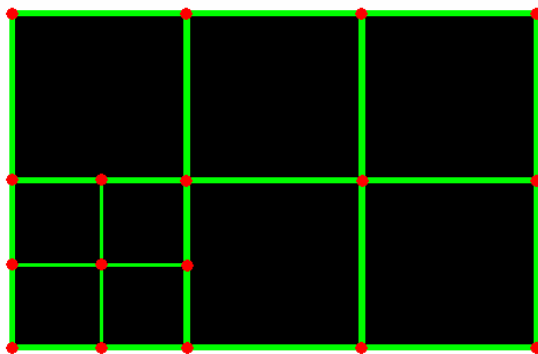
- After subdividing, T-junctions will occur.
- When drawing quads, holes will appear.



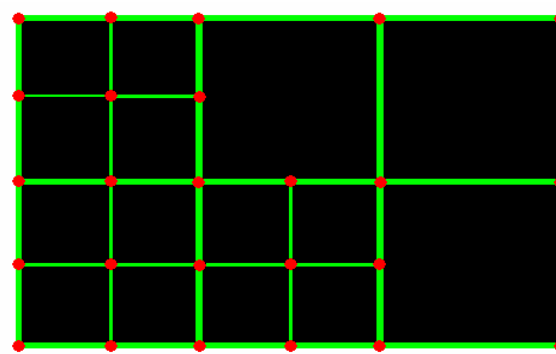
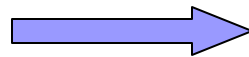


T-Junctions

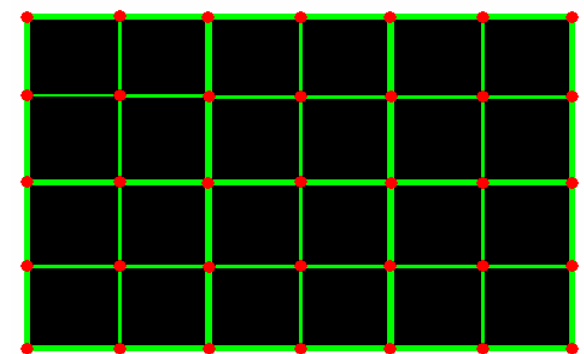
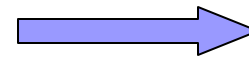
- Do not want to subdivide neighboring regions.
 - Significant increase in complexity



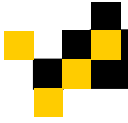
17 Particles



25 Particles



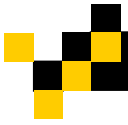
35 Particles



T-Junctions

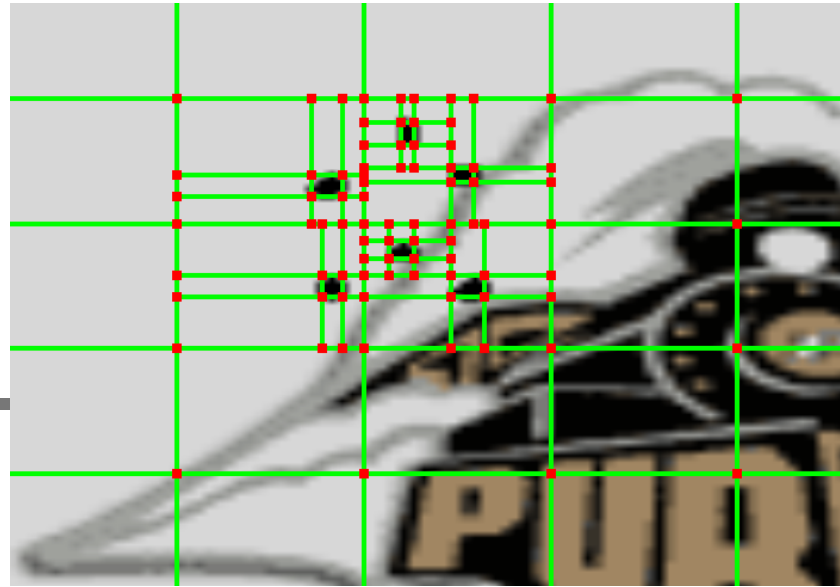
■ Solution:

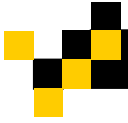
- Intermediate particles are interpolated.
 - Guarantees that intermediate particles always are positioned on the edges of neighboring grids that are not subdivided.
- Negligible complexity added when updating position.
 - However, complexity is added to collision detector.



Initial Tests

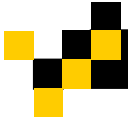
- Simulating the cloth in a game environment.
 - The user can shoot the cloth as if he had a gun.





Future Work

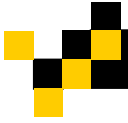
- The ability to drop a heavy object onto the cloth and have it tear.
 - Or pull the cloth by its corners.
- Pour water on the cloth and have it respond realistically.
 - Or set the cloth on fire.



References

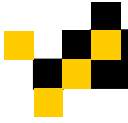
1: Baraff. Large Steps in Cloth Simulation

2: Lin, Tang, Dong. Cloth Simulation Based on Local Adaptive Subdivision and Merging



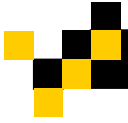
Questions ???





Euler

- Fastest but least accurate.
- Equation: $x(t+h) = x(t) + h \cdot f(t, x(t))$
- Accuracy: First order Taylor series accurate $\rightarrow O(h)$
 - Not good enough for cloth simulation.
 - Instantly blows up, cloth requires much greater stability.
 - Simpler particle meshes can get away with it (i.e. often used in games for ropes)



Runge-Kutta 2nd Order

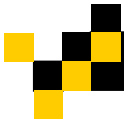
- Trades speed for better accuracy.
- Equations:

$$x(t+h) = x(t) + 0.5*(K_1 + K_2)$$

$$K_1 = h*f(t, x)$$

$$K_2 = h*f(t + h, x + K_1)$$

- Accuracy: 2nd order Taylor series accurate
-> $O(h^3)$
-



Runge-Kutta 4th Order

- Even slower but even more accurate.

- Equations:

$$x(t+h) = x(t) + 1/6 * (K_1 + 2K_2 + 2K_3 + K_4)$$

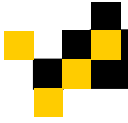
$$K_1 = h * f(t, x)$$

$$K_2 = h * f(t + h/2, x + K_1/2)$$

$$K_3 = h * f(t + h/2, x + K_2/2)$$

$$K_4 = h * f(t + h, x + K_3)$$

- Accuracy: $O(h^5)$



Verlet



- Speed on the order of Euler but with the numerical stability of RK4.
 - Calculate new position using the last two positions of the particle (which allows for the approximation of the velocity!).
 - Can slightly modify the equation to simulate damping effects (i.e. wind resistance)
 - See Wikipedia for more details.
-